

Historical Loss of Load Probability Analysis

» Probabilistic –

- deploys the fundamental data regarding unit capacity, random and planned outage rate, and load demand

Sample Station Innage/Outage Rates

	Capacity	FOR	Innage Rate
Unit A	50	.05	.95
Unit B	100	.07	.93
Unit C	200	.10	.90
System	350		

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Sample Combined Station Outage Probabilities

On Outage	MW of outage	In Service	Probability
None	0	A,B,C	$.95 \cdot .93 \cdot .90 = .79515$
A	50	B,C	$.05 \cdot .93 \cdot .90 = .04185$
B	100	A,C	$.95 \cdot .07 \cdot .90 = .05985$
C	200	A,B	$.95 \cdot .93 \cdot .10 = .08835$
A,B	150	C	$.05 \cdot .07 \cdot .90 = .00315$
A,C	250	B	$.05 \cdot .93 \cdot .10 = .00465$
B,C	300	A	$.95 \cdot .07 \cdot .10 = .00665$
A,B,C	350	None	$.05 \cdot .07 \cdot .10 = .00035$
			1.00000

Consider the probability of not being able to supply a 220 MW load demand. If 220 MW or less capacity is in service, a 220 MW load cannot be served. Since the capacity of the three-unit system is 350 MW, the load could not be supplied if (350-220) or 130 MW of capacity or more is on outage. According to the data in the table above, the probability of 130 MW or more on outage is:

$$.08835 + .00315 + .00465 + .00665 + .00035 = .10315$$

This is the probability of not meeting a peak load of 220 MW in one day.

Historical Loss of Load Probability Analysis

- » Look at each daily peak in a year and determine the probability of not meeting the peak in each day
- » Sum the probabilities for all days
- » A sum of 1.0 means there is a probability of 1-day outage in one year
- » A sum of probabilities of 0.1 means there is a probability of 1-day outage in 10 years

Limitations of Historical Approach

- » Focuses on meeting load on peak hour
- » Does not consider load volatility
- » Does not consider interconnections
- » Does not consider magnitude of energy not served